

Brief instructions for md_ar1

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Blundell and Bond (2000) consider a panel data model of the following type:

$$y(it) = b \cdot x(it) + e(it)$$

where

$$e(it) = \rho \cdot e(i, t-1) + v(it)$$

This can be re-written as

$$y(it) = b \cdot x(it) - \rho \cdot b \cdot x(i, t-1) + \rho \cdot y(i, t-1) + v(it)$$

or

$$(*) \quad y(it) = a_1 \cdot x(it) + a_2 \cdot x(i, t-1) + a_3 \cdot y(i, t-1) + v(it)$$

The model generalizes in a straightforward way to a more general case with K x-variables.

Suppose you estimate equation (*) using some suitable linear estimator, e.g. OLS, 2SLS, Within or GMM. My STATA program md_ar1, can then be used to impose, and test the validity of, the common factor restrictions ex post, based on a minimum distance procedure.

Please note that the program is not as neat and tidy as it should: in particular, the user **MUST** make sure inputs in the freely estimated model are entered in the right order - namely $x_1(t)$ $x_1(t-1)$ $x_2(t)$ $x_2(t-1)$... $y(t-1)$ controls. If you don't do it like this you will get **garbage**. Note also that the program will only work for an AR1 series.

Here is an illustration of how the program works:

First I load the file used by Blundell-Bond, 2002.

```
. use usbal89.dta, clear
```

I then estimate the production function freely using OLS (the md_ar1 routine will work for any underlying estimator):

```
. xi: reg y n l.n k l.k l.y i.year, robust cluster(id)
i.year      _Iyear_1982-1989      (naturally coded; _Iyear_1982 omitted)
Linear regression                               Number of obs =      3563
                                                F( 11,    508) =75113.93
                                                Prob > F      =   0.0000
                                                R-squared     =   0.9949
                                                Root MSE     =   .1426
                                                (Std. Err. adjusted for 509 clusters in id)

-----+-----
      y |               Robust
      +-----+ Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
      n |
  --. |   .4789653   .0288963    16.58   0.000   .4221944   .5357362
  L1. |  -.4233997   .0305806   -13.85   0.000  -.4834797  -.3633198
```

k						
--.	.2348098	.0352859	6.65	0.000	.1654854	.3041341
L1.	-.2120621	.0347141	-6.11	0.000	-.280263	-.1438613
y						
L1.	.9216418	.0105283	87.54	0.000	.9009575	.9423261
_Iyear_1983	-.0356445	.0097659	-3.65	0.000	-.0548311	-.0164579
_Iyear_1984	.0304689	.0078524	3.88	0.000	.0150416	.0458962
_Iyear_1985	-.0229294	.0076409	-3.00	0.003	-.0379412	-.0079177
_Iyear_1986	-.0008055	.0091111	-0.09	0.930	-.0187056	.0170947
_Iyear_1987	.0411118	.0082566	4.98	0.000	.0248906	.0573331
_Iyear_1988	.0422808	.0077698	5.44	0.000	.0270159	.0575457
_Iyear_1989	(dropped)					
_cons	.2822485	.0342594	8.24	0.000	.2149409	.3495561

Note the order of inputs and the lagged dependent variable.

Now I can obtain the minimum distance estimates:

```
. md_ar1, nx(2) beta(e(b)) cov(e(V))
```

The syntax of md_ar1 is very simple: nx(.) indicates the number of inputs (2 in this case, capital & labour) beta(.) indicates the name of the parameter vector and cov(.) the name of the covariance matrix.

Results:

```
all[3,4]
      Coef      Std      t-value      Prob
n   .53815661 .02505872  21.475826      0
k   .26639143 .03181457   8.3732532      0
L.y  .9636204 .00638379 150.94804      0
```

Prob[COMFAC]: 0.00000

This replicates the results in the IFS working paper version of "GMM estimation with persistent panel data...", Blundell-Bond, 2002.

I suggest you try to replicate the other results in the Blundell-Bond paper, before using the program in your own analysis.